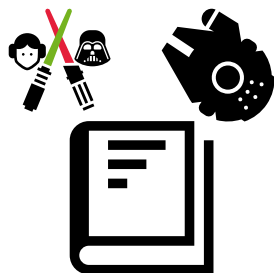

galactic practice guide

The Galactic Organization <contact@thegalactic.org>



0.0.8

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1 Introduction



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The *galactic* project is architecturally designed (fig. 1) with a core library and a set of plugins to increase its functionalities.

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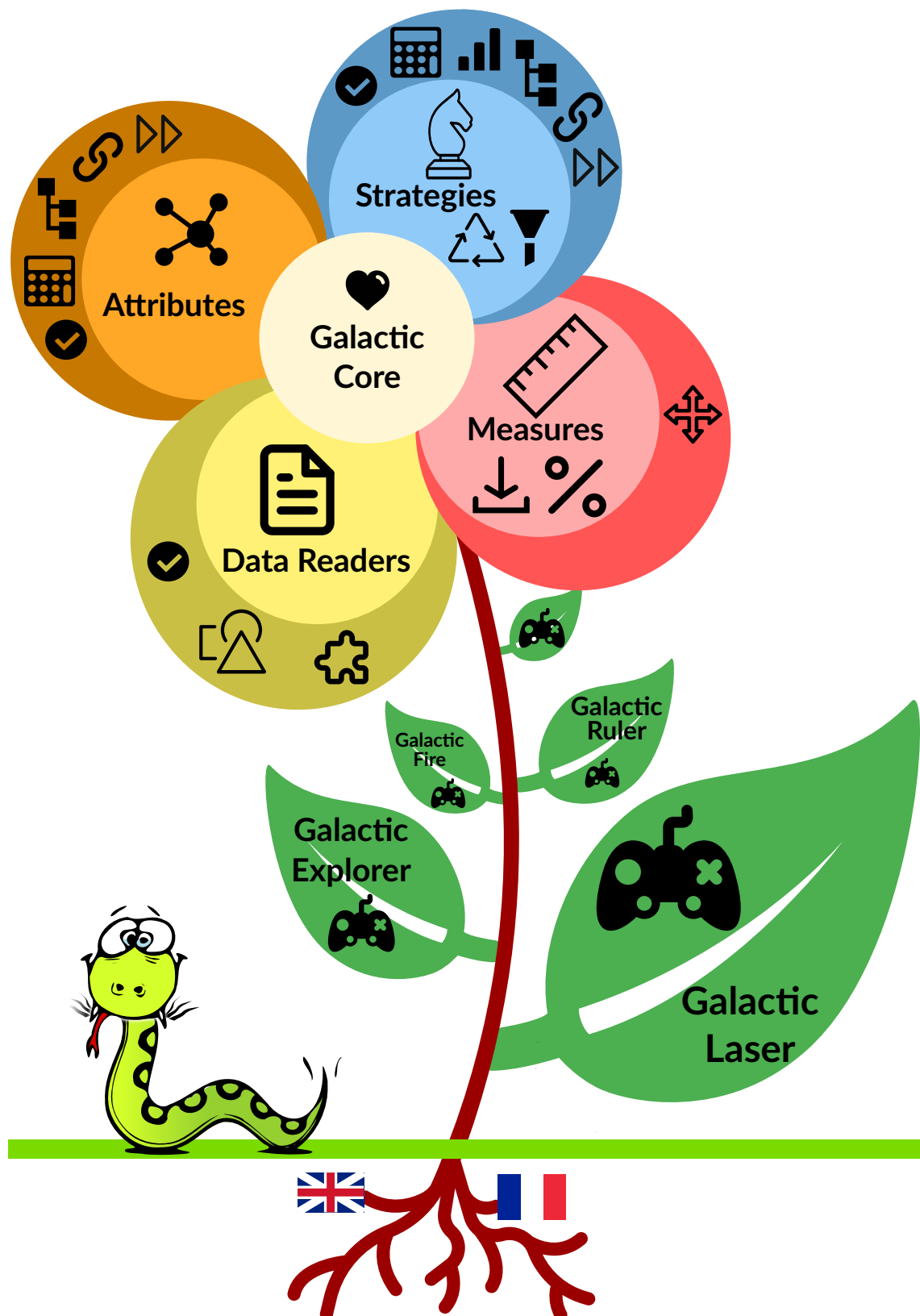


Figure 1: Galactic architecture

This practical guide is a collection of all the jupyter notebooks present in the core and in the plugins.

All lines



```
print("test")
```

are python input.

And all lines



```
test
```

are python output.

2 core library

2.1 Algebras

2.1.1 Partially ordered set

2.1.1.1 Elements Partially ordered elements implements the 6 classical comparison operation:

- $<$
- \leq
- $>$
- \geq
- $=$
- \neq

They can be filtered using some special functions.

Integer example The Integer class in the examples folder implements a partially ordered relation between positive integers using the *divisor of* notion.

To import the Integer class:



```
from galactic.examples.arithmetic.algebras import Integer  
Integer(12)
```



```
12 = 2231
```

3 is lesser than 6:

```
Integer(3) <= Integer(6)
```

```
True
```

2 and 3 are incomparable:

```
Integer(2) <= Integer(3)
```

```
False
```

```
Integer(3) <= Integer(2)
```

```
False
```

1 is lesser than all the other numbers (1 is a divisor of all numbers) and 0 is greater than all other numbers (all numbers are divisors of 0):

```
Integer(1) <= Integer(6)
```

```
True
```

```
Integer(6) <= Integer(0)
```

```
True
```

```
from galactic.algebras.poset.elements import top  
elements = [Integer(6), Integer(24), Integer(13)]  
top(elements)
```

```
<odict_iterator at 0x7ff6c45a5b48>
```

Note that the result is a python iterator. To get the list:

```
display(*top(elements))
```

```
24 = 2331  
13 = 131
```

An analog operation is available to get the *bottom* elements:

```
from galactic.algebras.poset.elements import bottom
```

```
| display(*bottom(elements))
```

$$6 = 2^1 3^1$$

$$13 = 13^1$$

It's possible to get the elements greater or lower than a given limit:

```
| from galactic.algebras.poset.elements import upper_limit
| display(*upper_limit(iterable=elements, limit=Integer(6)))
```

$$6 = 2^1 3^1$$

```
| from galactic.algebras.poset.elements import lower_limit
| display(*lower_limit(iterable=elements, limit=Integer(12), strict=True))
```

$$24 = 2^3 3^1$$

Partially ordered elements can be lower (and upper) bounded.

This is the case of the Integer class:

```
| Integer.minimum()
```

```
| 1
```

```
| Integer.maximum()
```

```
| 0
```

Color example The Color class in the examples folder implements a partially ordered relation between colors.

To import the Color class:

```
| from galactic.examples.color.algebras import Color
```

```
| Color(red=1.0, green=0.5)
```



```
| Color(red=1.0, green=1.0)
```



The orange color is less or equal than the yellow color:

```
Python | Color(red=1.0, green=0.5) <= Color(red=1.0, green=1.0)
```

```
Python | True
```

```
Python | Color(red=0.5, green=1.0)
```



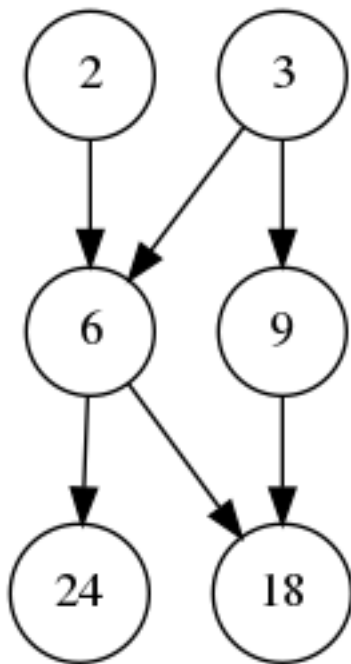
2.1.1.2 Collections A *poset* is a set or partially ordered elements. You can use either the `BasicPartiallyOrderedSet` class or the `CompactPartiallyOrderedSet` class.

Integer example

```
Python | from galactic.algebras.poset.collections import BasicPartiallyOrderedSet  
poset = BasicPartiallyOrderedSet([  
    Integer(24),  
    Integer(18),  
    Integer(9),  
    Integer(6),  
    Integer(3),  
    Integer(2)  
])
```

poset have all classical python operations on sets:

```
Python | poset
```

```
len(poset)
```



```
6
```



```
display(*poset)
```



```
2 = 21
```

```
3 = 31
```

```
6 = 2131
```

```
9 = 32
```

```
18 = 2132
```

```
24 = 2331
```



```
Integer(3) in poset
```



```
True
```



```
display(*(poset & BasicPartiallyOrderedSet([Integer(9), Integer(6), Integer(5)]))
```



```
9 = 32
```

```
6 = 2131
```

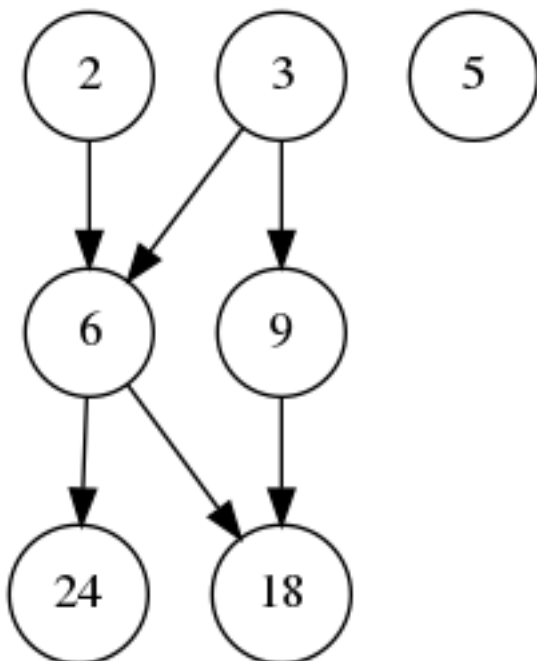


```
display(*(poset | BasicPartiallyOrderedSet([Integer(9), Integer(6), Integer(5)]))
```

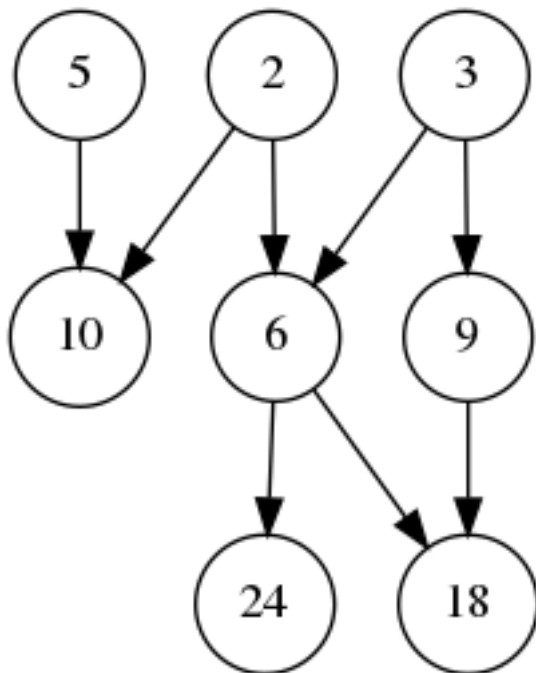
$2 = 2^1$
 $3 = 3^1$
 $18 = 2^1 3^2$
 $5 = 5^1$
 $6 = 2^1 3^1$
 $24 = 2^3 3^1$
 $9 = 3^2$



```
poset @= BasicPartiallyOrderedSet([Integer(9), Integer(6), Integer(5)])  
poset
```



```
poset += [Integer(10)]  
poset
```



```
poset >= BasicPartiallyOrderedSet([Integer(9), Integer(6)])
```

True

From a *poset*, several additional methods can be applied:

- get the *top* or the *bottom* elements from the *poset*;
- get the *descendants* or the *ascendants* of an element;
- get the *successors* and *predecessors* of an element;
- get the *siblings*, *co-parents* or *neighbors* (*sibling* or *co-parent*) of an element.

```
display(*poset.top())
```

$$10 = 2^1 5^1$$

$$18 = 2^1 3^2$$

$$24 = 2^3 3^1$$

```
display(*poset.bottom())
```


$$2 = 2^1$$

$$3 = 3^1$$

$$5 = 5^1$$


```
display(*poset.descendants(Integer(18)))
```

```

 | display(*poset.ancestors(Integer(6)))


```

```

 | 2 = 21
  | 3 = 31


```

```

 | display(*poset.successors(Integer(6)))

```

```

 | 24 = 2331
  | 18 = 2132


```

```

 | display(*poset.predecessors(Integer(6)))

```

```

 | 2 = 21
  | 3 = 31


```

```

 | display(*poset.siblings(Integer(6)))

```

```

 | 9 = 32
  | 10 = 2151

```

Color example Using colors, you can test the poset collections:

```

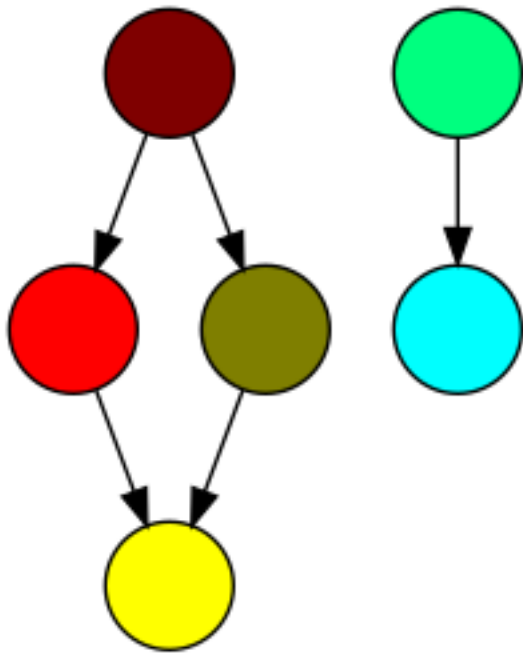
 | from galactic.algebras.poset.collections import CompactPartiallyOrderedSet
  | poset = CompactPartiallyOrderedSet([
  |     Color(red=1.0),
  |     Color(red=1.0, green=1.0),
  |     Color(red=0.5),
  |     Color(red=0.5, green=0.5),
  |     Color(green=1.0, blue=0.5),
  |     Color(green=1.0, blue=1.0)
  | ])

```

```

 | poset

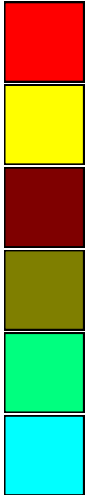
```




```
len(poset)
```


```
6
```




```
display(*poset)
```







```
poset >= CompactPartiallyOrderedSet([\n    Color(green=1.0, blue=0.5),\n    Color(green=1.0, blue=1.0)\n])
```


 True



 `display(*poset.top())`


 






 `display(*poset.bottom())`


 




 `Color(red=0.5)`


 



 `display(*poset.descendants(Color(red=0.5)))`


 



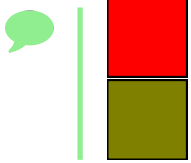
 `Color(red=1.0)`

 `display(*poset.ancestors(Color(red=1.0)))`

 `display(*poset.successors(Color(red=0.5)))`



```
display(*poset.predecessors(Color(red=1.0)))
```



2.1.2 Lattice

2.1.2.1 Elements Lattice are a particular case of *poset*. Their elements have the following properties:

For all x, y of a poset, there exists a unique infimum and a unique supremum:

Integer example



```
from galactic.examples.arithmetic.algebras import Integer
```



```
Integer(24) & Integer(18)
```



$6 = 2^1 3^1$



```
Integer(24) | Integer(18)
```



$72 = 2^3 3^2$

Color example



```
from galactic.examples.color.algebras import Color
```



```
Color(red=0.8, green=0.5, blue=0.7) & Color(red=0.5, green=1.0, blue=0.9)
```



```
Color(red=0.8, green=0.5, blue=0.7) | Color(red=0.5, green=1.0, blue=0.9)
```



2.1.2.2 Collections All operations on *poset* are available and some extras features:

- get the *minimum* and *maximum* elements from a lattice;
- get the *atoms* and the *co-atoms* elements from a lattice;
- get the *meet-irreducible* and the *join-irreducible* elements from a lattice;
- get the *meet-irreducible generators* and the *join-irreducible generators* of an element of the lattice.

Integer example

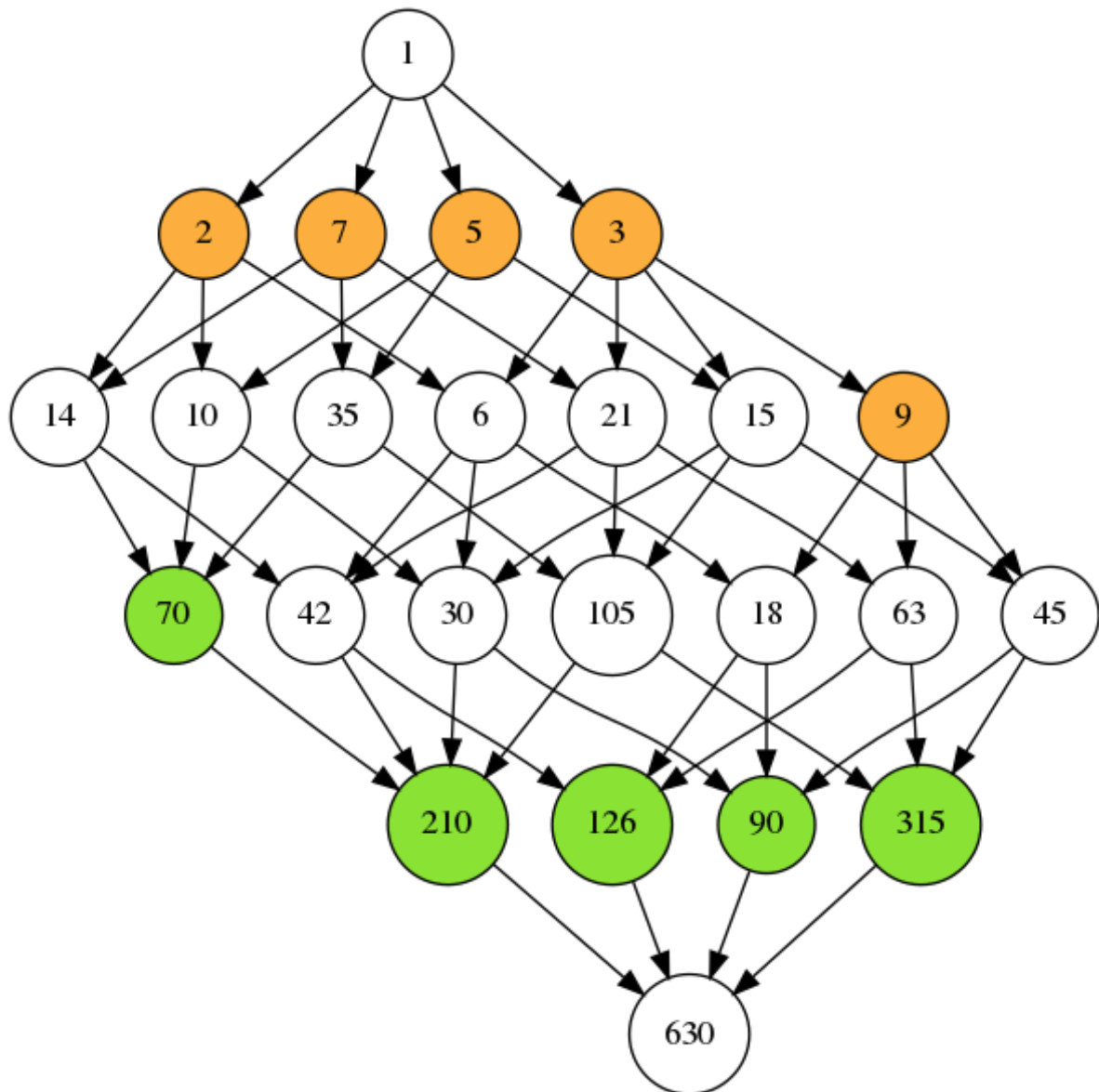


```
from galactic.algebras.lattice.collections import BasicLattice
```



```
integers = [Integer(2), Integer(3), Integer(5), Integer(7), Integer(9)]  
lattice = BasicLattice(integers)  
lattice
```





```
display(*lattice)
```



$2 = 2^1$
 $3 = 3^1$
 $5 = 5^1$
 $6 = 2^1 3^1$
 $7 = 7^1$
 $9 = 3^2$
 $10 = 2^1 5^1$
 $42 = 2^1 3^1 7^1$
 $45 = 3^2 5^1$
 $14 = 2^1 7^1$
 $15 = 3^1 5^1$
 $18 = 2^1 3^2$
 $21 = 3^1 7^1$
 $30 = 2^1 3^1 5^1$
 $35 = 5^1 7^1$
 $315 = 3^2 5^1 7^1$
 $63 = 3^2 7^1$
 $70 = 2^1 5^1 7^1$
 $210 = 2^1 3^1 5^1 7^1$
 $90 = 2^1 3^2 5^1$
 $105 = 3^1 5^1 7^1$
 $630 = 2^1 3^2 5^1 7^1$
 $126 = 2^1 3^2 7^1$
1



```
lattice.minimum()
```



1



```
lattice.maximum()
```



$630 = 2^1 3^2 5^1 7^1$



```
display(*lattice.atoms())
```



$2 = 2^1$


$3 = 3^1$

$5 = 5^1$


$7 = 7^1$





```
display(*lattice.co_atoms())
```



 $315 = 3^2 5^1 7^1$
 $210 = 2^1 3^1 5^1 7^1$
 $90 = 2^1 3^2 5^1$
 $126 = 2^1 3^2 7^1$



`display(*lattice.meet_irreducible())`


 $315 = 3^2 5^1 7^1$
 $70 = 2^1 5^1 7^1$
 $210 = 2^1 3^1 5^1 7^1$
 $90 = 2^1 3^2 5^1$
 $126 = 2^1 3^2 7^1$



`display(*lattice.join_irreducible())`


 $2 = 2^1$
 $3 = 3^1$
 $5 = 5^1$
 $7 = 7^1$
 $9 = 3^2$


`display(*lattice.smallest_meet_irreducible(Integer(30)))`



 $210 = 2^1 3^1 5^1 7^1$
 $90 = 2^1 3^2 5^1$


`display(*lattice.greatest_join_irreducible(Integer(30)))`


 $2 = 2^1$
 $3 = 3^1$
 $5 = 5^1$

The context can be saved in yaml format as an input to formal concept analysis.


Color example



```

from galactic.examples.color.algebras import Color
from galactic.algebras.lattice.collections import CompactLattice

```



```

lattice = CompactLattice([
    Color(red=1.0, green=0.7, blue=0.5),
    Color(red=0.6, green=1.0, blue=0.1),

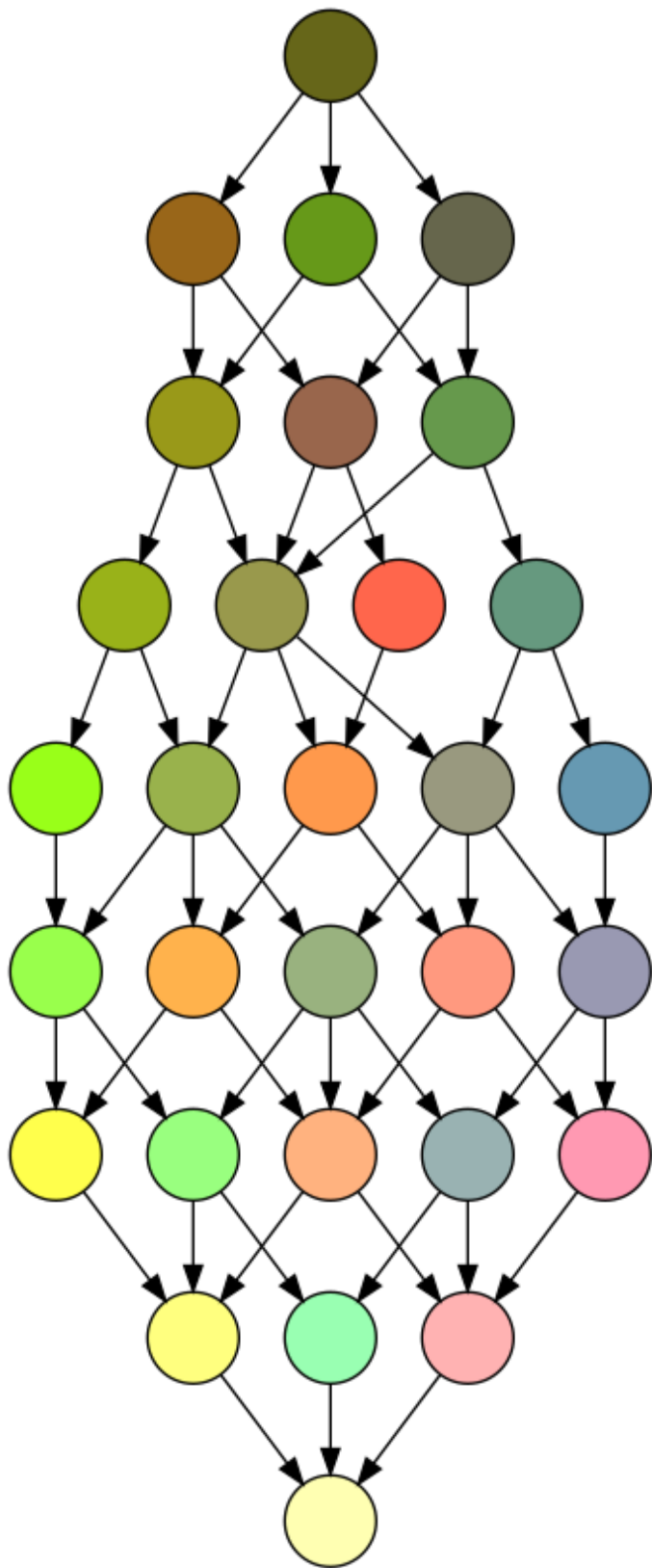
```

```
    Color(red=0.4, green=0.6, blue=0.7),  
    Color(red=1.0, green=0.4, blue=0.3),  
])
```



```
lattice
```





2.1.2.3 Context There exists a bijection between a lattice and its minimal binary table called its equivalent context:

- the rows are composed by the *join-irreducible*
- the columns are composed by the *meet-irreducible*
- the boolean value for row i and column j is True if $i \leq j$

Integer example



```
integers = [Integer(2), Integer(3), Integer(5), Integer(7), Integer(9)]
lattice = BasicLattice(integers)
context = {
    str(irreducible1): [
        str(irreducible2)
        for irreducible2 in lattice.meet_irreducible()
        if irreducible1 <= irreducible2
    ]
    for irreducible1 in lattice.join_irreducible()
}
```



```
{'2': ['70', '210', '90', '126'],
 '3': ['315', '210', '90', '126'],
 '5': ['315', '70', '210', '90'],
 '7': ['315', '70', '210', '126'],
 '9': ['315', '90', '126']}
```



```
import tempfile
import yaml
with tempfile.TemporaryFile(mode="w+t") as file:
    yaml.dump(context, file)
    file.seek(0)
    print(file.read())
```



```
'2':
- '70'
- '210'
- '90'
- '126'
```

```
'3':  
- '315'  
- '210'  
- '90'  
- '126'  
'5':  
- '315'  
- '70'  
- '210'  
- '90'  
'7':  
- '315'  
- '70'  
- '210'  
- '126'  
'9':  
- '315'  
- '90'  
- '126'
```

2.2 Concepts

2.2.1 Concept lattice

A population can be created using a collection of python objects:



```
from galactic.concepts import Population  
individuals = {48: 48, 36: 36, 64: 64, 56:56, 84: 84}  
population=Population(individuals)  
population
```



```
<galactic.concepts.Population at 0x7fa98c3f72e8>
```



```
list(population)
```



```
['48', '36', '64', '56', '84']
```

A lattice can be created from a population using a set of strategies:



```
from galactic.concepts import Lattice
from galactic.attributes import identity
from galactic.examples.arithmetic.strategies import IntegerStrategy
lattice = Lattice(population=population, strategies=[IntegerStrategy(identity)])
```



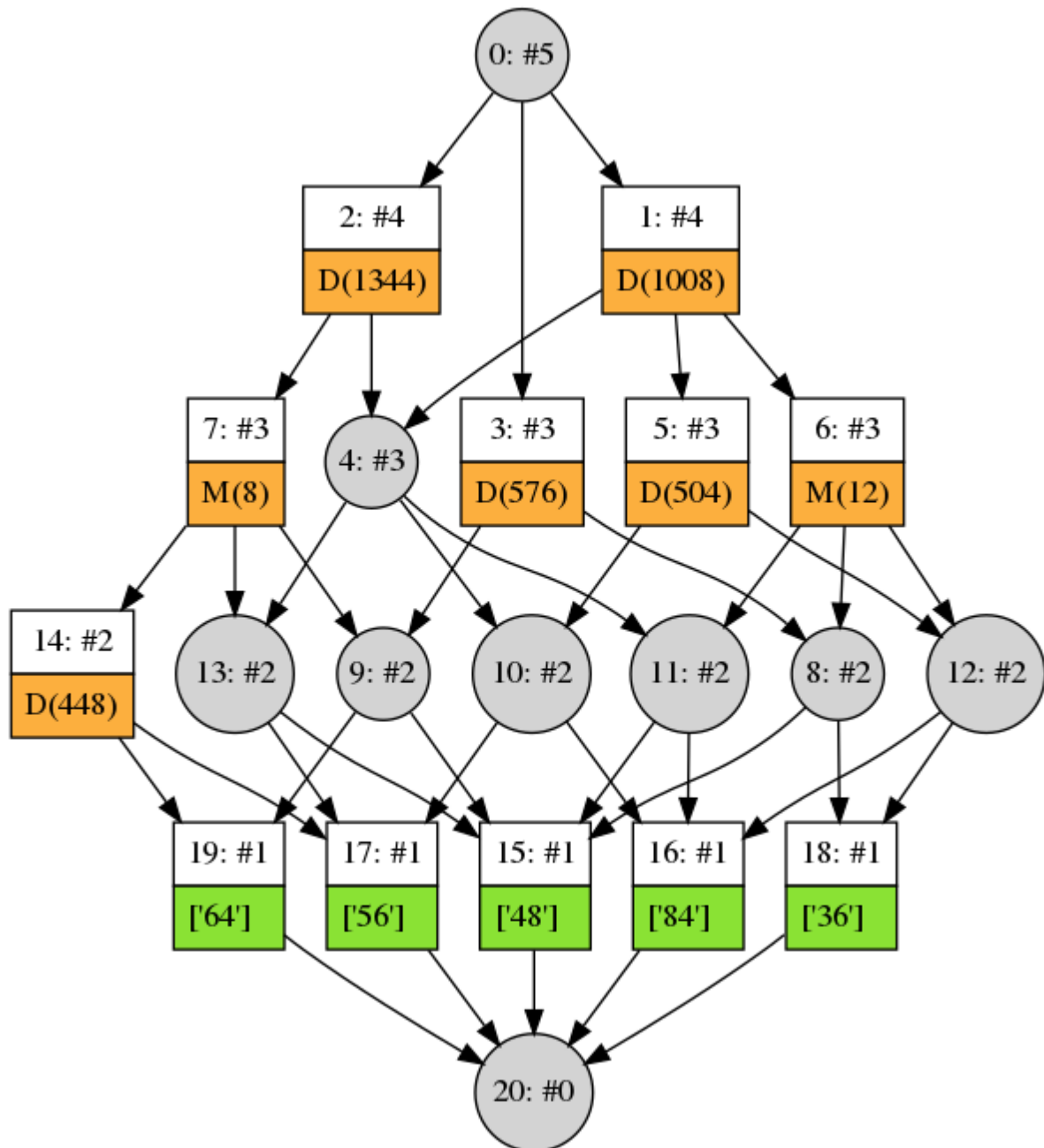
```
list(str(concept) for concept in lattice)
```



```
['M(4) and D(4032)',
 'M(4) and D(1008)',
 'M(4) and D(1344)',
 'M(4) and D(576)',
 'M(4) and D(336)',
 'M(4) and D(504)',
 'M(12) and D(1008)',
 'M(8) and D(1344)',
 'M(12) and D(144)',
 'M(16) and D(192)',
 'M(28) and D(168)',
 'M(12) and D(336)',
 'M(12) and D(252)',
 'M(8) and D(336)',
 'M(8) and D(448)',
 'M(48) and D(48)',
 'M(84) and D(84)',
 'M(56) and D(56)',
 'M(36) and D(36)',
 'M(64) and D(64)',
 'False']
```



```
lattice
```

3 Plugins

3.1 Attributes

3.1.1 Logical attributes

3.1.1.1 Predicates The *py-attribute-logical* plugin defines several logical predicates.

not predicate

```
from galactic.attributes import Key
from galactic_attribute_logical import Not
a = Not(Key(name="x"))
a
```

$\neg x$

a applied to an individual whose key parameter x is True gives False

```
a({"x": True})
```

False

a applied to an individual without key parameter x gives True

```
a({})
```

True

and predicate

```
from galactic.attributes import Key
from galactic_attribute_logical import And
a = And(Key(name="x"), Key(name="y"))
a
```

$(x \wedge y)$

a applied to an individual whose key parameters x and y are True gives True

```
a({"x": True, "y": True})
```

True

a applied to an individual without key parameter y gives False

```
a({"x": True})
```

 | False

a applied to a None individual gives False

 | a()

 | False

An *and* constructed without inner attributes is always True (True is the neutral element for the *and* operation)


 | And()

 | T


 | And()()

 | True

or predicates

 |

```
from galactic.attributes import Key
from galactic_attribute_logical import Or
a = Or(Key(name="x"), Key(name="y"))
a
```

 | $(x \vee y)$

a applied to an individual whose key parameters x and y are True gives True

 | a({"x": True, "y": True})

 | True

a applied to an individual whose key parameter x is True gives True


 | a({"x": True})

 | True

a applied to an individual whose key parameter y is True gives True

 | `a({"y": True})` | True

a applied to an empty individual gives True

 | `a({})` | False


a applied to an None individual gives True

 | `a()` | False


An *or* constructed without inner attributes is always False (False is the neutral element for the *or* operation)

 | `Or()` | \perp  | `Or()()` | False

xor predicate

 |

```
from galactic.attributes import Key
from galactic_attribute_logical import Xor
a = Xor(Key(name="x"), Key(name="y"))
a
```

 | $(x \oplus y)$

a applied to an individual whose key parameter x is True and without key parameter y gives True

 | `a({"x": True})` | True

a applied to an individual whose key parameters x and y are True gives False

```
 | a({"x": True, "y": True})
```

```
 | False
```

a applied to an empty individual gives False

```
 | a({})
```

```
 | False
```

a applied to an None individual gives False

An xor constructed without inner attributes is always False


```
 | Xor()
```


```
 | ⊥
```

```
 | Xor()()
```


```
 | False
```

equivalence predicate

```
 | from galactic.attributes import Key  
| from galactic_attribute_logical import Equivalence  
| a = Equivalence(Key(name="x"), Key(name="y"))  
| a
```

```
 | (x ≡ y)
```

a applied to an individual whose key parameter x is True and without key parameter y gives False

```
 | a({"x": True})
```

```
 | False
```

a applied to an individual whose key parameters x and y are True gives True

```
 | a({"x": True, "y": True})
```



| True

a applied to an empty individual gives True



| a({})



| True

An *equivalence* constructed without inner attributes is always True



| Equivalence()



| T



| Equivalence>()



| True

3.1.1.2 Descriptions

Boolean description The `BooleanDescription` class is used to represent classical boolean attributes in formal concept analysis.



```
from galactic_attribute_logical import BooleanDescription
from galactic.attributes import Key
description = BooleanDescription(Key(name="x"))
```

The description applied to a list of two individuals whose key parameters `x` is equal to `True` gives the singleton `x`



```
display(*(attribute for attribute in description([{"x": 1}, {"x": True}])))
```



| x

The description applied to a list of two individuals whose key parameters `x` is equal to `True` and `False` gives an empty set.



```
display(*(attribute for attribute in description([{"x": True}, {"x": False}])))
```

The description applied to an empty list gives the singleton `x` (all individuals have the attribute `x`)

```
display(*(attribute for attribute in description([])))
```

```
x
```

Logical description The `LogicalDescription` class is used to represent logical description spaces.

It computes the description of a collection of individuals using the [Quine-McCluskey algorithm](#) on the complement of individuals to obtain clauses. It is not designed to be ran on large number of boolean attributes since the complexity is $O(3^n \log(n))$ (n being the number of boolean variables).

```
from galactic_attribute_logical import LogicalDescription
from galactic.attributes import Key
description = LogicalDescription(Key(name="x"), Key(name="y"), Key(name="z"))
```

```
display(*(attribute for attribute in description([{"x": 0, "y": 1}, {"x": 1, "y": 1}]))
```

```
(x ∨ y)
¬z
(¬x ∨ ¬y)
```

```
display(*(attribute for attribute in description([])))
```

```
⊥
```

3.1.2 Numerical attributes

3.1.2.1 Attributes The *py-attribute-numerical* plugin defines several numerical attributes:

Number attribute The `Number` attribute can convert any value to a numerical value


```
from galactic.attributes import Key
from galactic_attribute_numerical import Number
a = Number(Key(name="x"))
print(a)
```

```
x
```


```
a({"x": 5})
```

 | 5.0 | `a(4)` | nan

Linear attribute The Linear attribute can do a linear transformation of a numerical value


 |

```
from galactic_attribute_numerical import Linear
l = Linear(Key(name="x"), coefficient=2)
print(l)
```

 | $2*x$  | `l({"x": 5})` | 10.0 | `l(None)` | nan

3.1.2.2 Predicates

Positive predicate The Positive predicate can test if an individual has a positive value for a numerical attribute.

 |

```
from galactic_attribute_numerical import upper_limit
u = upper_limit(Key(name="x"), limit=2)
print(u)
```

 | $x \leq 2$  | `u({})` | False


```
u({"x": 0})
```

```
True
```

upper_limit and lower_limit functions The `upper_limit` and `lower_limit` are convenient function to create `Positive` attributes.

```
from galactic_attribute_numerical import lower_limit
l = lower_limit(Key(name="x"), limit=2)
print(l)
```

```
x >= 2.0
```

```
l({})
```

```
False
```

```
l({"x": 2})
```

```
True
```

```
from galactic_attribute_numerical import upper_limit
u = upper_limit(Key(name="x"), limit=2)
print(u)
```

```
x <= 2
```

```
u({})
```

```
False
```

```
u({"x": 0})
```

```
True
```

3.1.2.3 Descriptions

NumericalDescription A `NumericalDescription` can describe a collection of individuals by calculating the convex hull of numerical attributes.

If the number of numerical attributes is equal to

- 1: it produces intervals on the real line;
- 2: it produces polygons on R^2



```
from galactic_attribute_numerical import NumericalDescription
description = NumericalDescription(Key(name="x"))
predicates = description([{"x": 0}, {"x": 1}, {"x": 2}])
[str(predicate) for predicate in predicates]
```



```
['x>=0.0', 'x<=2']
```



```
predicates = description([{"x": 0}, {"x": 1}, {}])
[str(predicate) for predicate in predicates]
```



```
[]
```

3.1.3 Categorized attributes

3.1.3.1 Predicates The *py-attribute-categorized* plugin defines several categorized predicates:

CategoryPredicate attribute The `CategoryPredicate` attribute can affirm if a value is in a defined set.



```
from galactic.attributes import Key
from galactic_attribute_categorized import CategoryPredicate
a = CategoryPredicate(Key(name="x"), values=frozenset({1, 2}))
print(a)
```




```
x in {1, 2}
```



```
a.values
```



```
frozenset({1, 2})
```


```
 | a({"x": 1})
```


```
 | True
```


```
 | a({})
```

```
 | False
```


SubSetPredicate attribute The SubSetPredicate attribute can affirm if a value is a subset of a defined set.

```
 | from galactic_attribute_categorized import SubSetPredicate  
a = SubSetPredicate(Key(name="x"), values=frozenset({1, 2}))  
print(a)
```


```
 | x <= {1, 2}
```

```
 | a({"x": {1}})
```

```
 | True
```


```
 | a({"x": {}})
```


```
 | True
```

```
 | a({"x": {1, 2, 3}})
```


```
 | False
```

SuperSetPredicate predicate The SuperSetPredicate attribute can affirm if a value is a super-set of a defined set.

```
 | from galactic_attribute_categorized import SuperSetPredicate  
a = SuperSetPredicate(Key(name="x"), values=frozenset({1, 2}))  
print(a)
```

```
 | x >= {1, 2}
```

```

 | a({"x": {1}})


```

```

 | False

```

```

 | a({"x": {}})


```

```

 | False

```

```

 | a({"x": {1, 2, 3}})

```

```



 | True

```

3.1.3.2 Descriptions

CategoryDescription A `CategoryDescription` can describe a collection of individuals by calculating the convex hull of categorized predicates.

```

 | from galactic_attribute_categorized import CategoryDescription
| description = CategoryDescription(Key(name="x"))
| attributes = description([{"x": 1}, {"x": 2}])
| [str(attribute) for attribute in attributes]
 | ['x in {1, 2}']

```


3.2 Strategies

3.2.1 Logical Basic Strategy

3.2.1.1 Concepts Formal Concept Analysis consists in finding concepts from a collection of individuals described by boolean attributes. A concept is described by a couple (A, B) where:

- A is a subset of the individual collection;
- B is a subset of the attributes.

```

 | from galactic.concepts import Population
| data = {
|     0: ["composite", "even", "square"],
|     1: ["odd", "square"],

```

```
2: ["even", "prime"],
3: ["odd", "prime"],
4: ["composite", "even", "square"],
5: ["odd", "prime"],
6: ["composite", "even"],
7: ["odd", "prime"],
8: ["composite", "even"],
9: ["composite", "odd", "square"],
}
population = Population(data)
list(population)
```

```
['0', '1', '2', '3', '4', '5', '6', '7', '8', '9']
```

```
"0" in population
```

```
True
```

```
population.key(data[0])
```

```
'0'
```

Concepts are described by a list of descriptions.

```
from galactic.concepts import Concept
from galactic_attribute_logical import BooleanDescription
from galactic.attributes import Member
descriptions = [
    BooleanDescription(Member(name="composite")),
    BooleanDescription(Member(name="even")),
    BooleanDescription(Member(name="odd")),
    BooleanDescription(Member(name="prime")),
    BooleanDescription(Member(name="square")),
]
concept1 = Concept(
    population=population,
    descriptions=descriptions,
    predicates=[Member(name="composite")]
)
```

```
| concept1
```

```
<galactic.concepts.Concept at 0x7f83102ecdc8>
```

```
list(concept1.individuals)
```

```
['0', '4', '6', '8', '9']
```

```
list(concept1.individuals.values())
```

```
[['composite', 'even', 'square'],  
 ['composite', 'even', 'square'],  
 ['composite', 'even'],  
 ['composite', 'even'],  
 ['composite', 'odd', 'square']]
```

```
str(concept1.descriptors)
```

```
'composite'
```

```
concept2 = Concept(  
    population=population,  
    descriptions=descriptions,  
    keys=["0", "2", "4"]  
)
```

```
list(concept2.individuals.keys())
```


```
['0', '2', '4', '6', '8']
```

Concepts are lattice elements so a unique infimum and a unique supremum exists:


```
infimum = concept1 & concept2  
list(infimum.individuals.keys())
```

```
['0', '1', '2', '3', '4', '5', '6', '7', '8', '9']
```

```
str(infimum.descriptors)
```


 ''

```
supremum = concept1 | concept2
list(supremum.individuals.keys())
```



```
['0', '4', '6', '8']
```


3.2.1.2 Concept lattices The Lattice class is able to extract all concepts from a population by using strategies. In this tutorial, we consider only the boolean case:



```
from galactic.concepts import Explorer
from galactic_strategy_logical_basic import BooleanStrategy
explorer = Explorer(
    population=population,
    strategies=[
        BooleanStrategy(Member(name="composite")),
        BooleanStrategy(Member(name="even")),
        BooleanStrategy(Member(name="odd")),
        BooleanStrategy(Member(name="prime")),
        BooleanStrategy(Member(name="square")),
    ]
)
```



```
list(str(concept) for concept in explorer)
```



```
['',
 'composite',
 'even',
 'odd',
 'prime',
 'square',
 'composite and even',
 'composite and square',
 'odd and prime',
 'odd and square',
 'composite and even and square',
 'even and prime',
```

```
'composite and odd and square',  
'False and False and False and False and False']
```

It's possible to have access to successors and predecessors of a concept:



```
import yaml  
print(  
    yaml.dump(  
        [  
            {  
                "concept": list(concept.individuals.keys()),  
                "predecessors": [  
                    str(predecessor.descriptors)  
                    for predecessor in predecessors  
                ],  
                "successors": [  
                    str(successor.descriptors)  
                    for successor in successors  
                ]  
            }  
            for concept, (predecessors, successors) in explorer.items()  
        ]  
    )  
)
```



```
- concept:  
  - '0'  
  - '1'  
  - '2'  
  - '3'  
  - '4'  
  - '5'  
  - '6'  
  - '7'  
  - '8'  
  - '9'  
  predecessors: []  
  successors:  
    - composite
```


- even
- odd
- prime
- square
- concept:
 - '0'
 - '4'
 - '6'
 - '8'
 - '9'
- predecessors:
 - ''
- successors:
 - composite and even
 - composite and square
- concept:
 - '0'
 - '2'
 - '4'
 - '6'
 - '8'
- predecessors:
 - ''
- successors:
 - composite and even
 - even and prime
- concept:
 - '1'
 - '3'
 - '5'
 - '7'
 - '9'
- predecessors:
 - ''
- successors:
 - odd and prime
 - odd and square
- concept:

- '2'
- '3'
- '5'
- '7'
- predecessors:
 - ''
- successors:
 - even and prime
 - odd and prime
- concept:
 - '0'
 - '1'
 - '4'
 - '9'
- predecessors:
 - ''
- successors:
 - composite and square
 - odd and square
- concept:
 - '0'
 - '4'
 - '6'
 - '8'
- predecessors:
 - even
 - composite
- successors:
 - composite and even and square
- concept:
 - '0'
 - '4'
 - '9'
- predecessors:
 - square
 - composite
- successors:
 - composite and even and square

- composite and odd and square
- concept:
 - '3'
 - '5'
 - '7'
- predecessors:
 - odd
 - prime
- successors:
 - False and False and False and False and False
- concept:
 - '1'
 - '9'
- predecessors:
 - odd
 - square
- successors:
 - composite and odd and square
- concept:
 - '0'
 - '4'
- predecessors:
 - composite and even
 - composite and square
- successors:
 - False and False and False and False and False
- concept:
 - '2'
- predecessors:
 - even
 - prime
- successors:
 - False and False and False and False and False
- concept:
 - '9'
- predecessors:
 - composite and square
 - odd and square

```

    successors:
    - False and False and False and False and False
- concept: []
  predecessors:
  - composite and odd and square
  - composite and even and square
  - odd and prime
  - even and prime
  successors: []

```

The Lattice class of the `galactic.concepts` package is able to construct a lattice:



```

from galactic.concepts import Lattice
lattice = Lattice(
    population=population,
    strategies=[
        BooleanStrategy(Member(name="composite")),
        BooleanStrategy(Member(name="even")),
        BooleanStrategy(Member(name="odd")),
        BooleanStrategy(Member(name="prime")),
        BooleanStrategy(Member(name="square")),
    ]
)
list(str(concept) for concept in lattice)

```



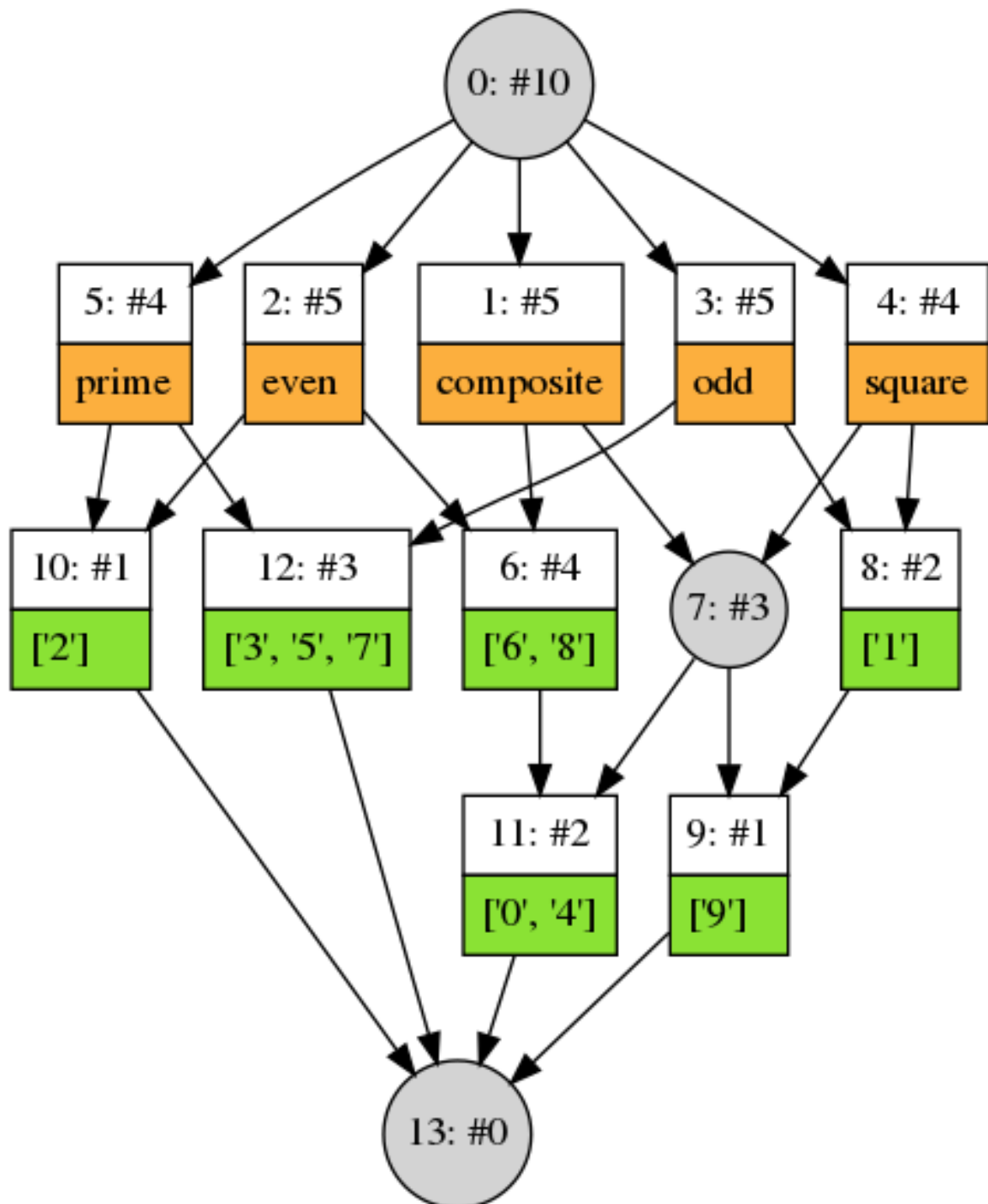
```

['',
 'composite',
 'even',
 'odd',
 'square',
 'prime',
 'composite and even',
 'composite and square',
 'odd and square',
 'composite and odd and square',
 'even and prime',
 'composite and even and square',
 'odd and prime',
 'False and False and False and False and False']

```



lattice



```
list(str(concept) for concept in lattice.join_irreducible())
```

['composite', 'even', 'odd', 'prime', 'square']

```
list(str(concept) for concept in lattice.meet_irreducible())
```

['composite and even',
 'odd and prime',
 'odd and square',
 'composite and even and square',
 'even and prime',
 'composite and odd and square']

It's possible to construct a minimal binary table representing a concept lattice:

```
{
  str(list(irreducible1.individuals.keys())): [
    str(irreducible2) for irreducible2 in lattice.meet_irreducible()
    if irreducible1 <= irreducible2
  ]
  for irreducible1 in lattice.join_irreducible()
}
```

```
{
  "['0', '4', '6', '8', '9']": ['composite and even',
    'composite and even and square',
    'composite and odd and square'],
  "['0', '2', '4', '6', '8']": ['composite and even',
    'composite and even and square',
    'even and prime'],
  "['1', '3', '5', '7', '9']": ['odd and prime',
    'odd and square',
    'composite and odd and square'],
  "['2', '3', '5', '7']": ['odd and prime', 'even and prime'],
  "['0', '1', '4', '9']": ['odd and square',
    'composite and even and square',
    'composite and odd and square']}
}
```

There exists a `DualStrategy` able to combine several boolean predicates and their negations.

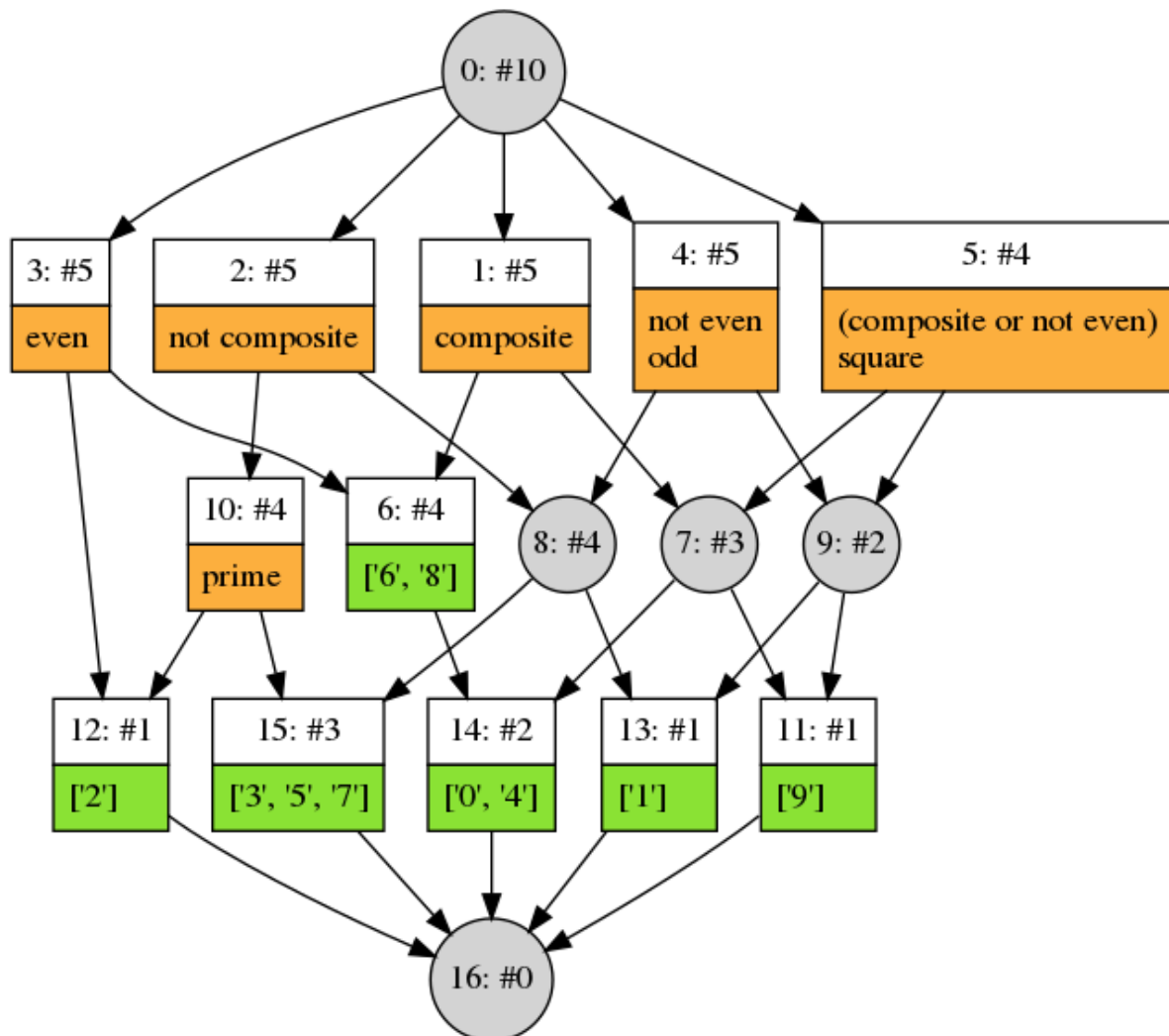
```
from galactic_strategy_logical_basic import DualStrategy
```

```

lattice = Lattice(
    population=population,
    strategies=[
        DualStrategy(Member(name="composite"), Member(name="even")),
        BooleanStrategy(Member(name="odd")),
        BooleanStrategy(Member(name="prime")),
        BooleanStrategy(Member(name="square")),
    ]
)

```

lattice



3.2.2 Numerical Basic Strategy

3.2.2.1 Concepts



```
from galactic.concepts import Population
data = {
    "Darth Vader": {
        "age": 46,
        "height": 202
    },
    "Boba Fett": {
        "age": 36,
        "height": 183
    },
    "Chewbacca": {
        "age": 204,
        "height": 230
    },
    "Han Solo": {
        "age": 36,
        "height": 180
    },
    "Leia Organa": {
        "age": 23,
        "height": 150
    },
    "Luke Skywalker": {
        "age": 23,
        "height": 172
    },
}
population = Population(data)
list(population)
```



```
['Darth Vader',
 'Boba Fett',
 'Chewbacca',
 'Han Solo',
```



```
'Leia Organa',  
'Luke Skywalker']
```

```
"Boba Fett" in population
```

```
True
```

```
population.key(data["Boba Fett"])
```

```
'Boba Fett'
```

Concepts are described by a list of descriptions.

```
from galactic.concepts import Concept  
from galactic_attribute_numerical import NumericalDescription, lower_limit  
from galactic.attributes import Key  
descriptions = [  
    NumericalDescription(Key(name="age")),  
    NumericalDescription(Key(name="height")),  
]  
concept1 = Concept(  
    population=population,  
    descriptions=descriptions,  
    predicates=[lower_limit(attribute=Key(name="age"), limit=30)]  
)  
concept1
```

```
<galactic.concepts.Concept at 0x7f8821f31288>
```

```
list(concept1.individuals)
```

```
['Darth Vader', 'Boba Fett', 'Chewbacca', 'Han Solo']
```

```
list(concept1.individuals.values())
```

```
{'age': 46, 'height': 202},  
{'age': 36, 'height': 183},  
{'age': 204, 'height': 230},  
{'age': 36, 'height': 180}]
```

```

str(concept1.descriptors)
'age>=36.0 and age<=204 and height>=180.0 and height<=230'

```

```

concept2 = Concept(
    population=population,
    descriptions=descriptions,
    keys=["Han Solo", "Boba Fett", "Luke Skywalker"]
)

```

```

list(concept2.individuals.keys())
['Boba Fett', 'Han Solo', 'Luke Skywalker']

```

```

str(concept2.descriptors)
'age>=23.0 and age<=36 and height>=172.0 and height<=183'

```

Concepts are lattice elements so a unique infimum and a unique supremum exists:

```

infimum = concept1 & concept2
list(infimum.individuals.keys())
['Darth Vader', 'Boba Fett', 'Chewbacca', 'Han Solo', 'Luke Skywalker']

```

```

str(infimum.descriptors)
'age>=23.0 and age<=204 and height>=172.0 and height<=230'

```

```

supremum = concept1 | concept2
list(supremum.individuals.keys())
['Boba Fett', 'Han Solo']

```

3.2.2.2 Concept lattices The `Lattice` class is able to extract all concepts from a population by using strategies.



```
from galactic.concepts import Lattice
from galactic_strategy_numerical_basic import NormalStrategy
lattice = Lattice(
    population=population,
    strategies=[
        NormalStrategy(Key(name="age")),
        NormalStrategy(Key(name="height")),
    ]
)
```



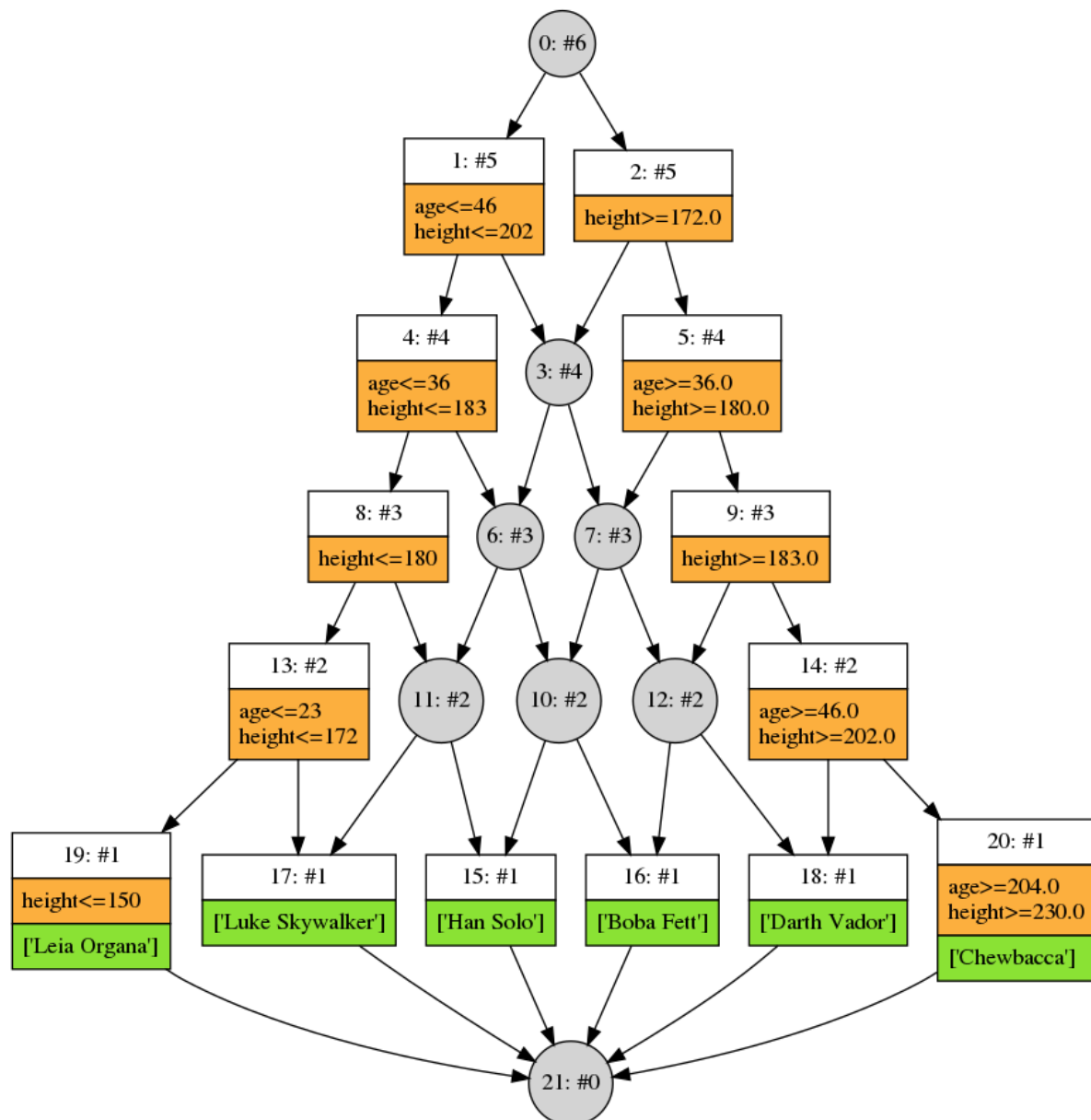
```
list(str(concept) for concept in lattice)
```



```
['age>=23.0 and age<=204 and height>=150.0 and height<=230',
 'age>=23.0 and age<=46 and height>=150.0 and height<=202',
 'age>=23.0 and age<=204 and height>=172.0 and height<=230',
 'age>=23.0 and age<=46 and height>=172.0 and height<=202',
 'age>=23.0 and age<=36 and height>=150.0 and height<=183',
 'age>=36.0 and age<=204 and height>=180.0 and height<=230',
 'age>=23.0 and age<=36 and height>=172.0 and height<=183',
 'age>=36.0 and age<=46 and height>=180.0 and height<=202',
 'age>=23.0 and age<=36 and height>=150.0 and height<=180',
 'age>=36.0 and age<=204 and height>=183.0 and height<=230',
 'age>=36.0 and age<=36 and height>=180.0 and height<=183',
 'age>=23.0 and age<=36 and height>=172.0 and height<=180',
 'age>=36.0 and age<=46 and height>=183.0 and height<=202',
 'age>=23.0 and age<=23 and height>=150.0 and height<=172',
 'age>=46.0 and age<=204 and height>=202.0 and height<=230',
 'age>=36.0 and age<=36 and height>=180.0 and height<=180',
 'age>=36.0 and age<=36 and height>=183.0 and height<=183',
 'age>=23.0 and age<=23 and height>=172.0 and height<=172',
 'age>=46.0 and age<=46 and height>=202.0 and height<=202',
 'age>=23.0 and age<=23 and height>=150.0 and height<=150',
 'age>=204.0 and age<=204 and height>=230.0 and height<=230',
 'False and False']
```



```
lattice
```



```
list(str(concept) for concept in lattice.join_irreducible())
```

```
['age>=23.0 and age<=46 and height>=150.0 and height<=202',
 'age>=23.0 and age<=204 and height>=172.0 and height<=230',
 'age>=23.0 and age<=36 and height>=150.0 and height<=183',
 'age>=36.0 and age<=204 and height>=180.0 and height<=230',
 'age>=23.0 and age<=36 and height>=150.0 and height<=180',
 'age>=36.0 and age<=204 and height>=183.0 and height<=230',
 'age>=23.0 and age<=23 and height>=150.0 and height<=172',
```

```
'age>=46.0 and age<=204 and height>=202.0 and height<=230',  
'age>=23.0 and age<=23 and height>=150.0 and height<=150',  
'age>=204.0 and age<=204 and height>=230.0 and height<=230']
```



```
list(str(concept) for concept in lattice.meet_irreducible())
```



```
['age>=36.0 and age<=36 and height>=183.0 and height<=183',  
'age>=36.0 and age<=36 and height>=180.0 and height<=180',  
'age>=23.0 and age<=23 and height>=172.0 and height<=172',  
'age>=23.0 and age<=23 and height>=150.0 and height<=150',  
'age>=46.0 and age<=46 and height>=202.0 and height<=202',  
'age>=204.0 and age<=204 and height>=230.0 and height<=230']
```

The NormalStrategy can combine several numerical attributes:

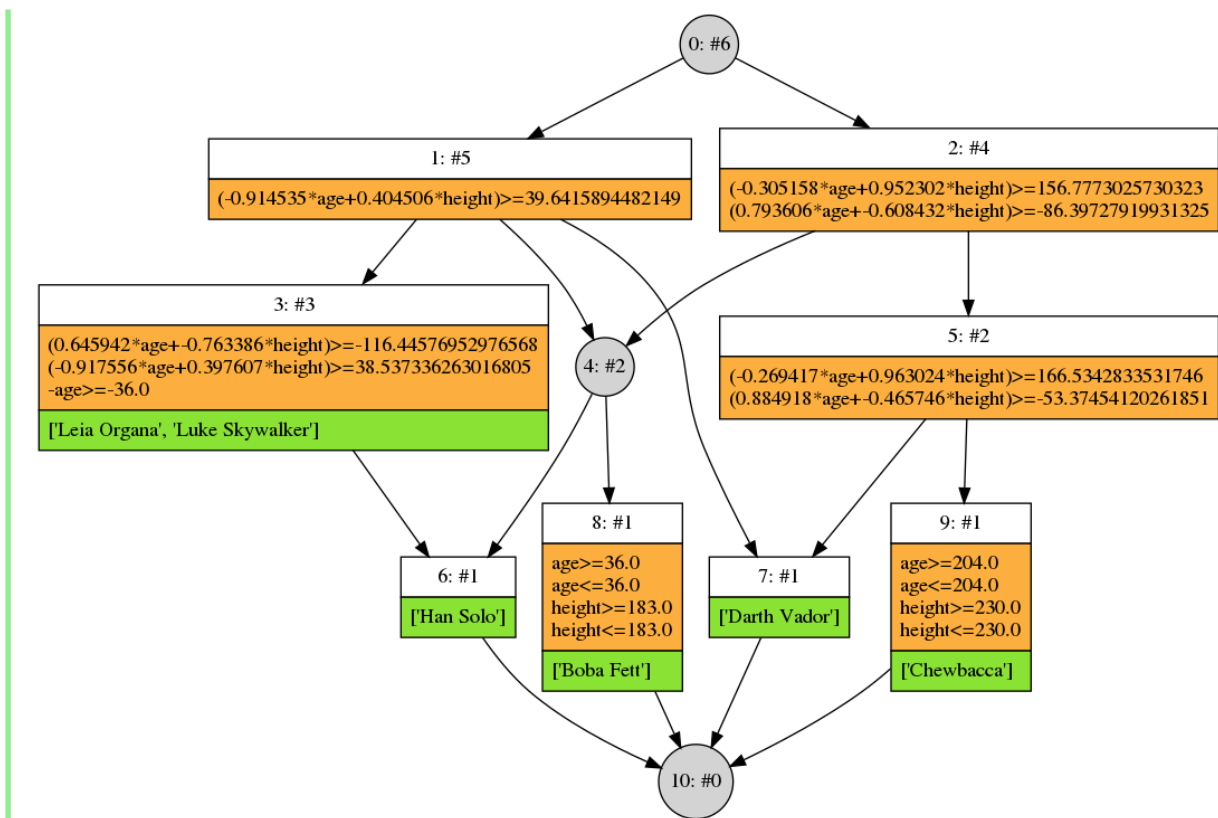


```
lattice = Lattice(  
    population=population,  
    strategies=[  
        NormalStrategy(Key(name="age"), Key(name="height")),  
    ]  
)
```



```
lattice
```





3.2.3 Numerical Quantile Strategy

3.2.3.1 Concept lattices The Lattice class is able to extract all concepts from a population by using strategies.



```
from galactic.concepts import Population
data = {
    "Darth Vader": {
        "age": 46,
        "height": 202
    },
    "Boba Fett": {
        "age": 36,
        "height": 183
    },
    "Chewbacca": {
        "age": 204,
        "height": 230
    }
}
```

```
    },
    "Han Solo": {
        "age": 36,
        "height": 180
    },
    "Leia Organa": {
        "age": 23,
        "height": 150
    },
    "Luke Skywalker": {
        "age": 23,
        "height": 172
    },
}
population = Population(data)
list(population)
```

```
['Darth Vader',
 'Boba Fett',
 'Chewbacca',
 'Han Solo',
 'Leia Organa',
 'Luke Skywalker']
```

```
from galactic.attributes import Key
from galactic.concepts import Lattice
from galactic_strategy_numerical_quantile import QuantileStrategy
lattice = Lattice(
    population=population,
    strategies=[
        QuantileStrategy(Key(name="age"), quantile=3),
        QuantileStrategy(Key(name="height"), quantile=3),
    ]
)
```

```
list(str(concept) for concept in lattice)
```

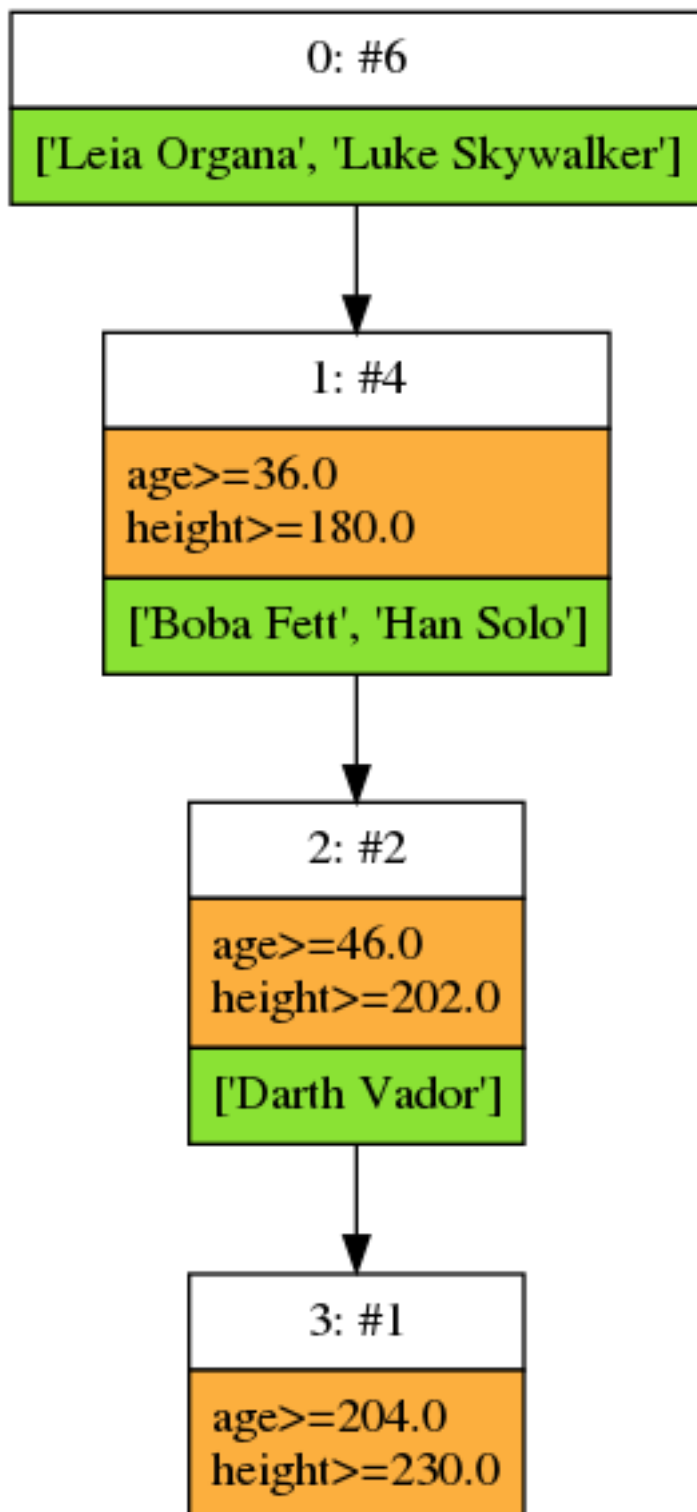


```
['age>=23.0 and age<=204 and height>=150.0 and height<=230',  
 'age>=36.0 and age<=204 and height>=180.0 and height<=230',  
 'age>=46.0 and age<=204 and height>=202.0 and height<=230',  
 'age>=204.0 and age<=204 and height>=230.0 and height<=230']
```



```
lattice
```





```
list(str(concept) for concept in lattice.join_irreducible())
```

```
['age>=36.0 and age<=204 and height>=180.0 and height<=230',
 'age>=46.0 and age<=204 and height>=202.0 and height<=230',
 'age>=204.0 and age<=204 and height>=230.0 and height<=230']
```

```
list(str(concept) for concept in lattice.meet_irreducible())
```

```
['age>=23.0 and age<=204 and height>=150.0 and height<=230',
 'age>=36.0 and age<=204 and height>=180.0 and height<=230',
 'age>=46.0 and age<=204 and height>=202.0 and height<=230']
```

3.2.4 Categorized Strategy

3.2.4.1 Concepts

```
from galactic.concepts import Population
data = {
    "Jupiter": {"size": "giant", "type": "gaz"},
    "Saturn": {"size": "giant", "type": "gaz"},
    "Uranus": {"size": "giant", "type": "ice"},
    "Neptune": {"size": "giant", "type": "ice"},
    "Venus": {"size": "planet", "type": "telluric"},
    "Earth": {"size": "planet", "type": "telluric"},
    "Mars": {"size": "planet", "type": "telluric"}
}
population = Population(data)
list(population)
```


```
['Jupiter', 'Saturn', 'Uranus', 'Neptune', 'Venus', 'Earth', 'Mars']
```


Concepts are described by a list of descriptions.


```
from galactic.concepts import Concept
from galactic_attribute_categorized import CategoryDescription
from galactic_strategy_categorized_basic import CategoryPredicate
from galactic.attributes import Key
descriptions = [
    CategoryDescription(Key(name="size")),
    CategoryDescription(Key(name="type")),
```


```
]
concept1 = Concept(
    population=population,
    descriptions=descriptions,
    predicates=[
        CategoryPredicate(
            attribute=Key(name="size"),
            values=frozenset(["giant"])
        )
    ]
)
concept1
```


 <galactic.concepts.Concept at 0x7f866c08f5e8>


 list(concept1.individuals)


 ['Jupiter', 'Saturn', 'Uranus', 'Neptune']


 list(concept1.individuals.values())


 [{'size': 'giant', 'type': 'gaz'},
{'size': 'giant', 'type': 'gaz'},
{'size': 'giant', 'type': 'ice'},
{'size': 'giant', 'type': 'ice'}]


 str(concept1.descriptors)


 "size in {'giant'} and type in {'ice', 'gaz'}"

 concept2 = Concept(
 population=population,
 descriptions=descriptions,
 keys=["Uranus", "Neptune", "Earth"]
)


 list(concept2.individuals.keys())


 ['Uranus', 'Neptune', 'Venus', 'Earth', 'Mars']

 str(concept2.descriptors)


 "size in {'planet', 'giant'} and type in {'ice', 'telluric'}"


Concepts are lattice elements so a unique infimum and a unique supremum exists:


 infimum = concept1 & concept2
list(infimum.individuals.keys())

 ['Jupiter', 'Saturn', 'Uranus', 'Neptune', 'Venus', 'Earth', 'Mars']


 str(infimum.descriptors)


 "size in {'planet', 'giant'} and type in {'telluric', 'ice', 'gaz'}"

 supremum = concept1 | concept2
list(supremum.individuals.keys())

 ['Uranus', 'Neptune']

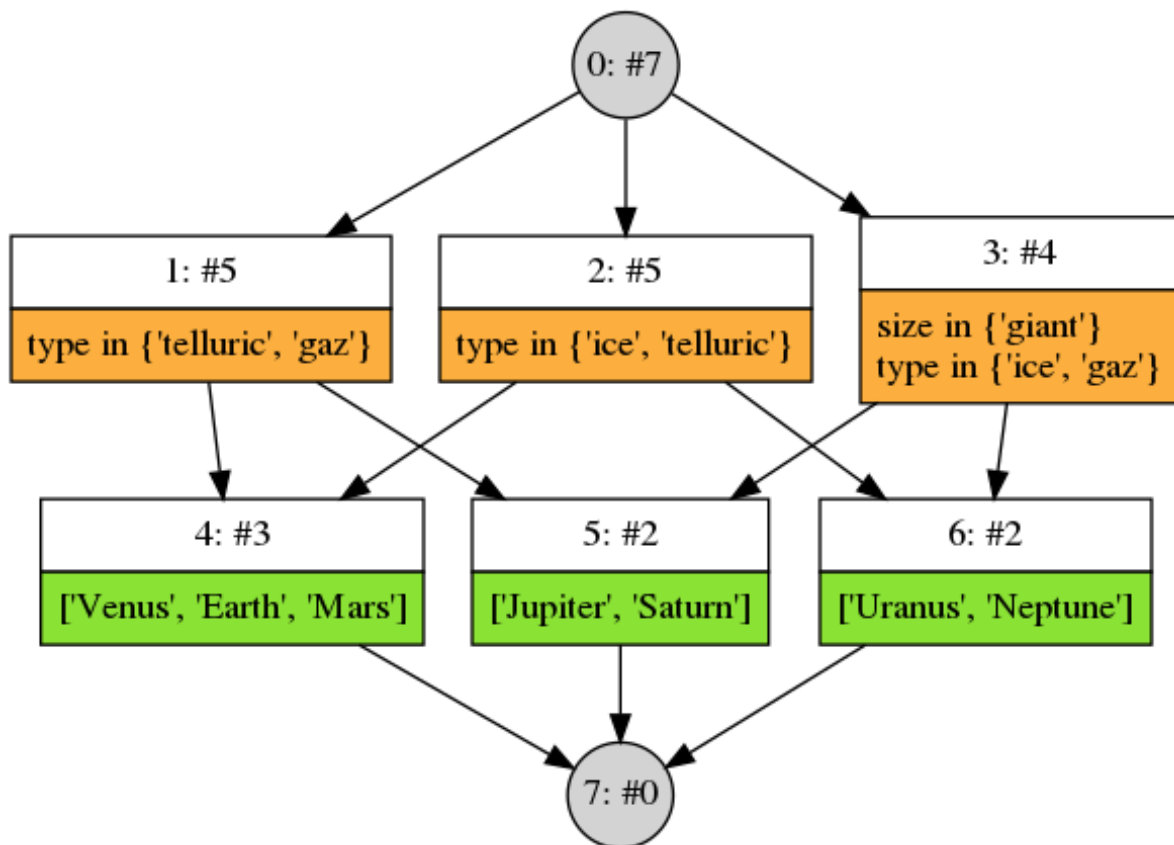
3.2.4.2 Concept lattices The Lattice class is able to extract all concepts from a population by using strategies.

 from galactic.concepts import Lattice
from galactic_strategy_categorized_basic import CategoryStrategy
lattice = Lattice(
 population=population,
 strategies=[
 CategoryStrategy(Key(name="size")),
 CategoryStrategy(Key(name="type")),
]
)

 list(str(concept) for concept in lattice)

```
["size in {'planet', 'giant'} and type in {'telluric', 'ice', 'gaz'}",
 "size in {'planet', 'giant'} and type in {'telluric', 'gaz'}",
 "size in {'planet', 'giant'} and type in {'ice', 'telluric'}",
 "size in {'giant'} and type in {'ice', 'gaz'}",
 "size in {'planet'} and type in {'telluric'}",
 "size in {'giant'} and type in {'gaz'}",
 "size in {'giant'} and type in {'ice'}",
 'False and False']
```

lattice



```
list(str(concept) for concept in lattice.join_irreducible())
```

```
["size in {'planet', 'giant'} and type in {'telluric', 'gaz'}",
 "size in {'planet', 'giant'} and type in {'ice', 'telluric'}",
 "size in {'giant'} and type in {'ice', 'gaz'}"]
```



```
list(str(concept) for concept in lattice.meet_irreducible())
```



```
["size in {'planet'} and type in {'telluric'}",  
 "size in {'giant'} and type in {'gaz'}",  
 "size in {'giant'} and type in {'ice'}"]
```

3.3 Measures

Measure plugins are used in the core strategies `LimitFilter` and `SelectionFilter` which inherit from `Filter`.

3.3.1 Entropy measure

A population can be created using a collection of python objects:



```
from galactic.concepts import Population  
individuals = {  
    48: {"value": 48, "square": False},  
    36: {"value": 36, "square": True},  
    64: {"value": 64, "square": True},  
    56: {"value": 56, "square": False},  
    84: {"value": 84, "square": False}  
}  
population=Population(individuals)  
population
```



```
<galactic.concepts.Population at 0x7f42bd00a9e8>
```



```
list(population)
```



```
['48', '36', '64', '56', '84']
```

A lattice can be created from a population using a selection filter and a measure based upon the entropy:



```
from galactic.concepts import Lattice  
from galactic.attributes import Key
```

```
from galactic.examples.arithmetic.strategies import IntegerStrategy
from galactic.strategies import SelectionFilter
from galactic_measure_entropy import Entropy
strategies = [
    SelectionFilter(
        IntegerStrategy(Key(name="value")),
        measure=Entropy(attribute=Key(name="square")),
        maximize=False
    )
]
lattice = Lattice(population=population, strategies=strategies)
```



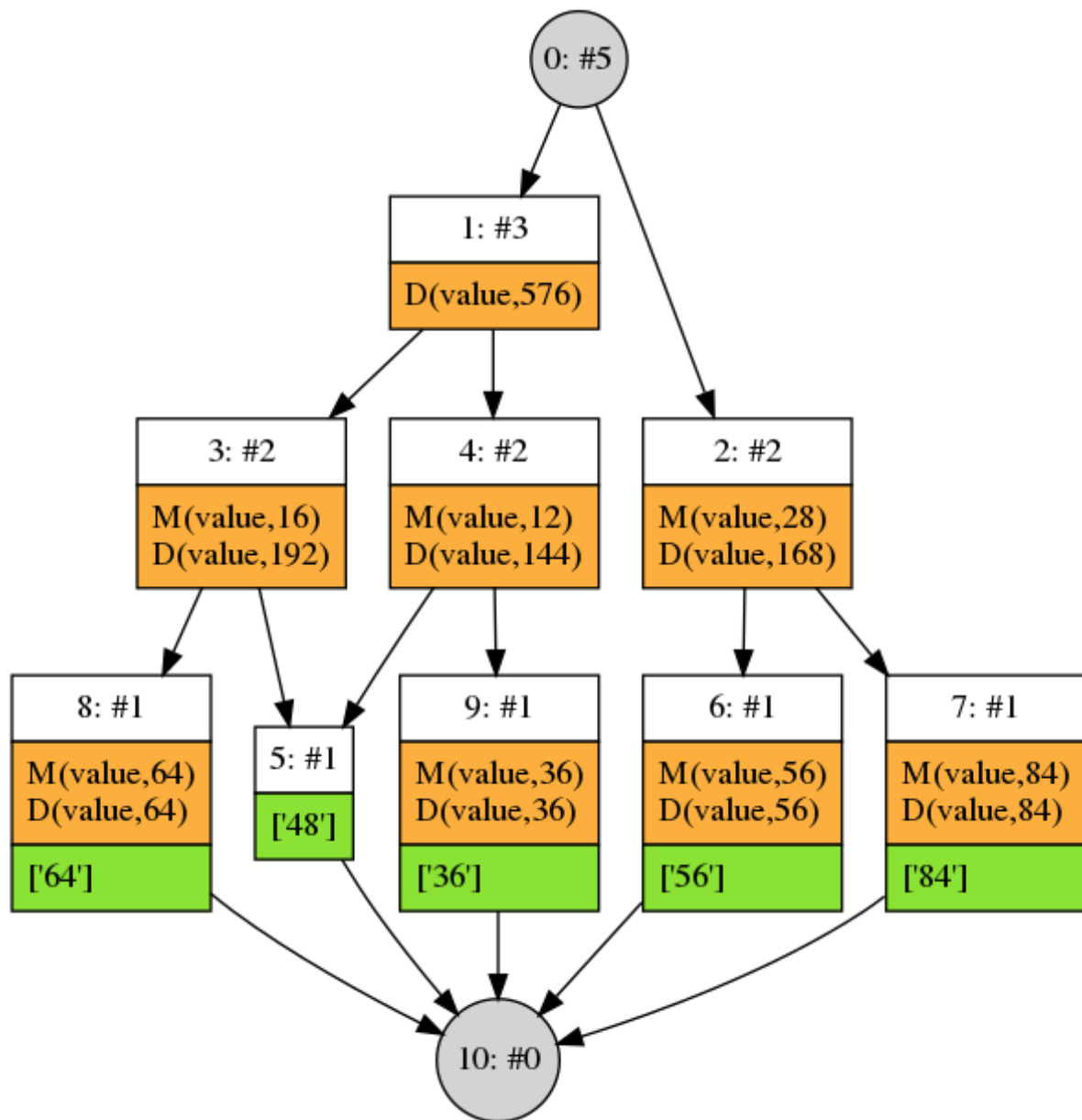
```
list(str(concept) for concept in lattice)
```



```
['M(value,4) and D(value,4032)',
'M(value,4) and D(value,576)',
'M(value,28) and D(value,168)',
'M(value,16) and D(value,192)',
'M(value,12) and D(value,144)',
'M(value,48) and D(value,48)',
'M(value,56) and D(value,56)',
'M(value,84) and D(value,84)',
'M(value,64) and D(value,64)',
'M(value,36) and D(value,36)',
'False']
```



```
lattice
```



3.4 Data readers

Data readers are plugins that read population from files which have a specific extension.

3.4.1 Burmeister data reader

Burmeister data reader reads files whose extension is `.cxt`.



```
from galactic.concepts import Population
import tempfile
from pprint import pprint

input = """\
B

2
2

1
2
a
b
.X
XX
"""

with tempfile.NamedTemporaryFile(mode="w+t", suffix=".cxt") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: sorted(list(value)) for key, value in population.items()})
```



```
{'1': ['b'], '2': ['a', 'b']}
```

3.4.2 CSV data reader

CSV data reader reads files whose extension is .csv.



```
from galactic.concepts import Population
import tempfile
from pprint import pprint

input = '''\
age,height
46,202
```

```
36,183
204,230
36,180
23,150
23,172
'''
```

```
with tempfile.NamedTemporaryFile(mode="w+t", suffix=".csv") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: dict(value) for key, value in population.items()})
```

```
{'0': {'age': '46', 'height': '202'},
 '1': {'age': '36', 'height': '183'},
 '2': {'age': '204', 'height': '230'},
 '3': {'age': '36', 'height': '180'},
 '4': {'age': '23', 'height': '150'},
 '5': {'age': '23', 'height': '172'}}
```

3.4.3 FIMI data reader

FIMI data reader reads files whose extension is .dat.

```
from galactic.concepts import Population
from pprint import pprint
import tempfile
```

```
input = '''\
1 3
2 4 5
1 2
3 4 5
'''
```

```
with tempfile.NamedTemporaryFile(mode="w+t", suffix=".dat") as file:
    file.write(input)
    file.seek(0)
```

```
population = Population.from_file(file)
pprint({key: sorted(list(value)) for key, value in population.items()})
```

```
{'0': ['1', '3'], '1': ['2', '4', '5'], '2': ['1', '2'], '3': ['3', '4', '5']}
```

3.4.4 INI data reader

INI data reader reads files whose extension is `.ini`.

```
from galactic.concepts import Population
import tempfile
from pprint import pprint

input = '''\
[#1]
name=Galois
firstname=Évariste
[#2]
name=Wille
firstname=Rudolf
'''

with tempfile.NamedTemporaryFile(mode="w+t", suffix=".ini") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: dict(value) for key, value in population.items()})
```

```
{'#1': {'firstname': 'Évariste', 'name': 'Galois'},
'#2': {'firstname': 'Rudolf', 'name': 'Wille'}}
```

3.4.5 JSON data reader

JSON data reader reads files whose extension is `.json`.

```
from galactic.concepts import Population
import tempfile
from pprint import pprint
```

```
input = '''\
{
  "#1": {
    "name": "Galois",
    "firstname": "Évariste"
  },
  "#2": {
    "name": "Wille",
    "firstname": "Rudolf"
  }
}
'''
```

```
with tempfile.NamedTemporaryFile(mode="w+t", suffix=".json") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: dict(value) for key, value in population.items()})
```

```
{'#1': {'firstname': 'Évariste', 'name': 'Galois'},
 '#2': {'firstname': 'Rudolf', 'name': 'Wille'}}
```

3.4.6 SLF data reader

SLF data reader reads files whose extension is .slf.



```
from galactic.concepts import Population
import tempfile
from pprint import pprint

input = '''\
[Lattice]
2
3
[Objects]
1 2
[Attributes]
a b c
```

```
[Relation]
```

```
0 1 0
1 1 0
'''
```

```
with tempfile.NamedTemporaryFile(mode="w+t", suffix=".slf") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: list(sorted(value)) for key, value in population.items()})
```

```
{'1': ['b'], '2': ['a', 'b']}
```

3.4.7 TEXT data reader

TEXT data reader reads files whose extension is .txt.



```
from galactic.concepts import Population
import tempfile
from pprint import pprint
```

```
input = '''\
Observations: 1 2 3 4
Attributes: a b c d e
1: a c
2: a b
3: b d e
4: c e
'''
```

```
with tempfile.NamedTemporaryFile(mode="w+t", suffix=".txt") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: list(sorted(value)) for key, value in population.items()})
```

```
{'1': ['a', 'c'], '2': ['a', 'b'], '3': ['b', 'd', 'e'], '4': ['c', 'e']}
```

3.4.8 TOML data reader

TOML data reader reads files whose extension is `.toml`.



```
from galactic.concepts import Population
import tempfile
from pprint import pprint

input = '''\
# This is a TOML document.
[individual1]
  name="Galois"
  firstname="Évariste"
[individual2]
  name="Wille"
  firstname="Rudolf"
'''

with tempfile.NamedTemporaryFile(mode="w+t", suffix=".toml") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: value for key, value in population.items()})
```



```
{'individual1': {'firstname': 'Évariste', 'name': 'Galois'},
 'individual2': {'firstname': 'Rudolf', 'name': 'Wille'}}
```

3.4.9 YAML data reader

YAML data reader reads files whose extension is `.yaml` or `.yml`.




```
from galactic.concepts import Population
import tempfile
from pprint import pprint

input = '''\
# This is a YAML document.
- name: Galois
```

```
    firstname: Évariste
-   name: Wille
    firstname: Rudolf
'''

with tempfile.NamedTemporaryFile(mode="w+t", suffix=".yaml") as file:
    file.write(input)
    file.seek(0)
    population = Population.from_file(file)
    pprint({key: value for key, value in population.items()})
```



```
{'0': {'firstname': 'Évariste', 'name': 'Galois'},
 '1': {'firstname': 'Rudolf', 'name': 'Wille'}}
```